Performance-Aware Energy Optimization on Mobile Devices in Cellular Network

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Abstract—In cellular networks, it is important to conserve energy while at the same time satisfying different user performance requirements. In this paper, we first propose a comprehensive metric to capture the user performance cost due to task delay, deadline violation, different application profiles, and user preferences. We prove that finding the energy-optimal scheduling solution while meeting the requirements on the performance cost is NP-hard. Then, we design an adaptive online scheduling algorithm PerES to minimize the total energy cost on data transmissions subject to user performance constraints. We prove that PerES can make the energy consumption arbitrarily close to that of the optimal scheduling solution. Further, we develop offline algorithms to serve as the evaluation benchmark for PerES. The evaluation results demonstrate that PerES achieves average 2.5 times faster convergence speed compared to state-of-art static methods, and also higher performance than peers under various test conditions. Using 821 million traffic flows collected from a commercial cellular carrier, we verify our scheme could achieve on average 32-56 percent energy savings over the total transmission energy with different levels of user experience.

Index Terms—Mobile cellular network, energy-efficiency, performance aware

1 INTRODUCTION

There is a quick growth of cellular applications in recent years thanks to the constant increase of the processor power of mobile devices and the transmission bandwidth of cellular networks. The capacity of batteries, however, grows at a much slower speed and the limited battery life has become the bottleneck that prevents the support of advanced mobile applications.

Energy conservation is often supported by existing wireless MAC protocols. Specifically, with radio resource control (RRC) in Universal Mobile Telecommunications System (UMTS) network, a radio does not turn to a low power state immediately after data transmissions, but instead stays at the high power state and waits for the expiration of an inactivity timer. If no transmission occurs during that period, it will switch to the low power state. This period is defined as tail time and the corresponding energy consumption is called tail energy. The tail time is designed in 3G radio access network to avoid the high signaling overhead [1], [2], and also introduced in 4G LTE networks [3] recently. A long duration of tail time, however, will compromise the energy-efficiency.

Some recent efforts have been made to reduce the tail time. The under-layer methods utilize the fast dormancy [4], [5], [6], [7] option proposed in 3GPP specifications to optimize RRC configurations [8], [9]. Application-layer solutions [10], [11], [12], [13] attempt to better schedule data transmission to reduce the tail energy. The work in [14], [15], [16], [17] investigate the varying signal impact on the data transmission energy in the mobile environment through both experiments and strategy design. Authors in [18], [19], [20] exploit the heterogeneity of WiFi and 3G network access to optimize the overall transmission energy. Based on existing solutions, we identify three major challenges in optimizing the energy in cellular networks.

First, there exist scheduling conflicts between the tail energy reduction and data transmission energy optimization. Tail energy can be reduced by queuing tasks and transmitting data in batch, while data transmission energy may be reduced if data are transmitted upon good channel condition. It may not be easy to find the optimal waiting time to meet both requirements and minimize their total energy. The literature work often focuses on reducing one type of energy only, while it is important to reduce both types of energy for an overall lower system energy consumption. We call the two types of energy together as hybrid energy.

Second, it is difficult to satisfy specific user transmission requirements while at the same time minimizing the energy consumption. The attempts to reduce the hybrid energy often introduce delay in packet transmissions. User expectation on performance depends on many factors, such as the task types, application profiles, and user preferences. Assuming that the delay has exactly the same impact on the user transmission experience regardless of the application or time, existing efforts on energy conservation fail to address specific or dynamic user application requirements.

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For example, a businessman cannot tolerate a big Email delay, while delay is not a big concern for a student. Further, for a given user, the requirement varies depending on the application or time. It remains a challenge to characterize the flexible user requirements and fulfill the differences in user expectations on applications to minimize the hybrid energy consumption. Moreover, it is critical for a scheduling scheme to quickly adapt to changing user requirements to better save energy.

The third issue is the feasibility in real systems. Schemes that need lower-layer system support such as optimizing the timer of RRC often require modifying configurations controlled by cellular network carriers, which makes practical implementation difficult. Also, a transmission scheduling mechanism often needs to deal with transport layer (e.g., congestion control and flow control of TCP) and application layer (e.g., interfaces exposed to applications) protocols and configurations.

To the best of our knowledge, this is the first work that shows how to optimize the hybrid energy consumption while meeting user transmission requirements on different applications. Our main contributions are summarized as follows:

- We model the performance-aware hybrid energy optimization problem in mobile cellular networks and prove its NP-Hardness, and design offline solutions to serve as the performance benchmarks.
- Based on a novel queueing method, we design an online scheduler to meet varying user requirements on application performance while ensuring the energy conservation.
- We propose an adaptive method for the online scheduler to converge more quickly to the optimal energy bound compared to state-of-art static strategies, and our performance studies demonstrate that a larger amount of energy can be saved when the user requirements change over time.
- Our scheme can be implemented as an application for traffic management on mobile devices, thus all the benefits can be achieved by solely upgrading the software.

The remainder of this paper is organized as follows. We introduce the related work in Section 2. Section 3 illustrates our basic problem formulation. In Section 4, we first present our scheduling analysis and solution design in the online setting, and then provide offline solutions as the evaluation benchmarks. We evaluate the performance of our scheduling algorithms in Section 5, and conclude our work in Section 6.

2 RELATED WORK

In cellular networks, the tail energy is identified as one of the key energy problems in data transmission [1], [10], [13], [21] with three major types of solutions: 1) the timer optimization which adapts the RRC configurations to dynamic and complex traffic patterns [8], [9], but it requires modifying configurations controlled by cellular network carriers; 2) the fast dormancy strategy for mobile devices to proactively demote the transmission to a low power state by optimizing the inactivity timer based on traffic predication [4], [5], [7]; and 3) the delayed transmission, where mobile devices queue tasks and schedule transmission in batch to reduce the total tail energy [10], [11], [12], [13], [16], [17], [19], [20].

Conventional energy conservation schemes are mostly based on traffic and signal predication. The high dynamics in user traffic and wireless link quality as well as the user mobility [16], [17], however, make these schemes difficult to apply in a practical wireless network. To overcome the limitation, the Lyapunov control theory has been introduced in recent work for non-predication-based online scheduling [19], [20], [22], [23]. SALSA [19] proposes a general multi-interface online scheduling algorithm based on Lyapunov optimization, taking into account both the delay impact and wireless link quality. However, the tail energy in cellular networks is not modeled. In eTime [20] and eTrain [24], a similar Lyapunov-based scheduling method is proposed for 3G and WiFi networks with the tail energy embedded in the 3G power model. Liu et al. also leverages the cloud computing in both theory and experiments to manage data transmissions for mobile applications [25], [26].

Recent Lyapunov-based solutions mainly face two challenges: 1) A single First-In-First-Out (FIFO) queue is applied to handle all transmission tasks without considering different task deadlines and application profiles; 2) There is no consideration of different user requirements on application delay and the potential change of requirements over time. To achieve the balance between energy and delay, cellular traffic can also be offloaded to WiFi network or neighboring nodes through peer-to-peer interfaces (e.g., the WiFi direct). Hu et al. [27] first propose to explore the difference in data throughput between nearby nodes to offload the traffic. Rebecchi et al. give a comprehensive survey in [28] on equipping today’s cellular networks with offloading capabilities.

To address above issues, our work aims to optimize the hybrid energy while satisfying dynamic user performance requirements. We propose a novel method to manage multiple delay-level queues in the Lyapunov optimization framework. Generally, a user up-link transmission request is the key trigger for the subsequent down-link data transmission [16], which allows the mobile device to control the data transmissions. Thus, our work focuses on the scheduling of up-link traffic, as done in previous work [4], [5], [7], [10], [11], [12], [13], [16], [17], [19], [20], [21].

3 Problem Formulation

The principle of our design is to aggregate and schedule the traffic generated by different applications. By postponing and batching transmissions judiciously, we can achieve the performance-aware energy optimization. In this section, we will elaborate on how we handle the performance and energy issues and formulate the transmission scheduling problem.

3.1 Motivating Example

We show an example to illustrate the trade-off between energy saving and user performance requirement in Fig. 1. The data rate over 3G network varies over time (every tick on the x-axis marks a 10 second interval). Three application tasks (APP1, APP2 and APP3) arrive at ticks 0, 6 and 10...
with the data sizes 1.25, 0.25 and 4.25 MB respectively. The power consumption of the 3G interface on the mobile phone is set to 1 W, and the tail time is 10 seconds with the tail power being 0.5 W. Since a user may have different expectations on application performance, we call the user performance requirement as a tolerable delay whose value is set to be a fraction of the corresponding task deadline. In this example, we assume the user have the highest expectation on APP2 and the lowest interest in APP1, i.e., the fractions for APP1, APP2 and APP3 are 100, 50 and 80 percent respectively.

In Fig. 1, we show the energy and delay performance of four transmission scheduling strategies. Immediately-Sending transmits the tasks immediately after they arrive, and thus achieves the minimum delay. Taking APP1 as an example, the first five ticks are used for data transmission and the tail energy is consumed in the next one tick, so the total energy cost of APP1 is \(0.5W \times 1\text{tick} \times 10\text{s/tick} + 1W \times 5\text{tick} \times 10\text{s/tick} = 55\text{J}\). The energy consumption of other applications are calculated in the same way. The delay for each application is defined as the duration between the time of the application arrival and the time of the transmission completion. Greedy-Sending maintains a FIFO queue to buffer the arriving tasks, and transmits data only when the rate is larger than 25 KB/s to take advantage of the physical channel conditions to conserve energy. However, the waiting delay makes APP2 violate its user delay requirement. Energy-Optimal transmits all the tasks during the highest data rate, and thus achieves the minimum energy consumption. However, it violates the task deadlines of both the APP1 and APP2 and also the user delay requirement on APP3.

The fourth strategy first transmits packets from APP2 ahead of APP1 to satisfy its user delay requirement. When APP3 arrives, it tries to wait for a better link quality within the time duration allowed by the user requirement. It meets the deadline demands of all the tasks and also satisfies the user performance requirement. Further, its total delay is half that of Energy-Optimal while obtaining energy saving comparable to Energy-Optimal, and its energy consumption is only 32 percent that of Immediately-Sending.

This example indicates that conventional FIFO-queue-based scheduling schemes adopted in existing work [19], [20] can not well address issues associated with different task delays and deadlines of multiple applications. Moreover, there is a need for the scheduler to effectively react to the given user performance constraint while conserving the energy.

### 3.2 Performance Impact
Motivated by the above example, we first characterize the performance impact due to the task deadlines, application profiles and user preferences. Our transmission framework runs as a daemon to collect the traffic generated by different applications, and the traffic is scheduled to transmit in the unit of time slot. The traffic from an application can be divided into multiple transmission tasks, where typically a task corresponds to a packet. For a task \(u\), the time slot it arrives is \(t_a(u)\), and the slot scheduled for it to send to the corresponding socket is \(t_s(u)\). The buffer delay due to the scheduling is denoted as \(D_b(u) = t_s(u) - t_a(u)\), and the transmission delay cost to transmit a task \(u\) is \(D_t(u)\). The end- slot that \(u\) is transferred completely is denoted by \(t_e(u) = t_s(u) + D_t(u)\), and the deadline of \(u\) is \(t_d(u)\).

We embody the bandwidth of the cellular network with the capacity of a time slot, i.e., the maximum amount of data in bytes that can be transmitted between mobile devices and the base station in one slot. Let \(c(t)\) denote the capacity of a slot \(t\) and \(v_u(t)\) denote the data transfer rate of a transmission task \(u\) in the slot \(t\). The condition

\[
\sum_{w \in \{u | v_u(t) = c(t)\}} v_u(t) \leq c(t) \tag{1}
\]

should be met for any slot. For clarity, we list all the related notations in Table 1.

<table>
<thead>
<tr>
<th>Notations</th>
<th>Definitions</th>
</tr>
</thead>
<tbody>
<tr>
<td>(t_s(u))</td>
<td>Arrival time of task (u)</td>
</tr>
<tr>
<td>(t_a(u))</td>
<td>Scheduled time of task (u)</td>
</tr>
<tr>
<td>(t_d(u))</td>
<td>Deadline of task (u)</td>
</tr>
<tr>
<td>(t_m(u))</td>
<td>Maximum tolerable delay of task (u)</td>
</tr>
<tr>
<td>(t_e(u))</td>
<td>Ending transmission time of task (u)</td>
</tr>
<tr>
<td>(D_b(u))</td>
<td>Buffer delay of task (u)</td>
</tr>
<tr>
<td>(D_t(u))</td>
<td>Data transmission delay of task (u)</td>
</tr>
<tr>
<td>(S(u))</td>
<td>Total delay of task (u), i.e., (D_b(u) + D_t(u))</td>
</tr>
<tr>
<td>(w_u)</td>
<td>Data size of task (u)</td>
</tr>
<tr>
<td>(w_u)</td>
<td>User preference weight of task (u)</td>
</tr>
<tr>
<td>(f_u(\cdot))</td>
<td>Application profile function</td>
</tr>
<tr>
<td>(\phi_u(\cdot))</td>
<td>Performance degradation function of task (u)</td>
</tr>
<tr>
<td>(P_{\text{sig}}(\cdot))</td>
<td>Average power to generate a given signal</td>
</tr>
<tr>
<td>(R_{\text{sig}}(\cdot))</td>
<td>Rate function that maps a received signal to the average data transmission rate</td>
</tr>
<tr>
<td>(t_s(U))</td>
<td>Scheduled slot set of tasks in (U), i.e., ({t_s(u)</td>
</tr>
</tbody>
</table>

### TABLE 1
Basic Notations and Definitions

- **Task View.** Different tasks generally have different delay tolerance. The task performance may degrade significantly if its delay expectation is violated. For example, the deadline of downloading video frames can be found in existing online video applications to ensure user watching experience [16]. We take the term **deadline** as the tolerable bound of the sum of buffer delay and transmission delay.
• **Application View.** Different application types have different sensitivity to the delay, and the performance change with the delay can be captured by a profile. For example, the performance of an application may reduce linearly as the delay increases.

• **User View.** Mobile users may have different performance expectation on different types of applications, and a weight factor can represent a user’s preference level.

We can see the delay will impact different parties, and the design should reduce the delay impact for all. If considering tasks from only one application, the data size should be taken into account because delay will increase with the traffic size. For different types of applications such as VoIP or photo-uploading, their profiles should capture their different sensitivity to the task delay. Finally, the user preference is accounted with an input weight. Hence the performance degradation function $\phi_u$ can be computed as:

$$\phi_u(D(u)) = w_u \cdot f_p(D(u)) \cdot S(u),$$

where $D(u) = t_d(u) - t_a(u)$ is the task delay, and $S(u)$ denotes the data size in bytes of the task $u$. The profile function $f_p$ represents the sensitivity of an application to the delay, and the weight $w_u$ represents the user’s preference on the application that generates $u$.

We can easily get the following property:

**Property 1.** Any $\phi_u(\cdot)$ should satisfy the following properties:

- $\phi_u(0) = 0$
- If $d_1 < d_2$, then $\phi_u(d_1) \leq \phi_u(d_2)$
- If $d_1 \leq t_d(u) - t_a(u) < d_2$, then $\phi_u(d_1) < \phi_u(d_2)$.

The first two conditions ensure that the function $\phi_u$ captures the non-decreasing feature between the performance cost and task delay. With the performance cost being the weighted product of delay and data size, the third condition reflects the cost associated with the deadline violation, i.e., the user has significantly worse experience thus higher performance cost.

Let $U$ denote the pending transmission task set, and $t_s(U)$ denote the set of scheduled slots of all the tasks in $U$, i.e., $t_s(U) = \{t_s(u) | u \in U\}$. Given $\phi_u(\cdot)$ for all the tasks in $U$, we can evaluate the total performance cost by the schedule $t_s(U)$ as $\sum_{u \in U} \phi_u(D(u))$.

### 3.3 Energy Consumption for Data Transmission

For any given data size, the data transmission energy depends on the product of two factors: the transmission power and the time taken to transmit one bit of data. Previous works [14], [16], [29] have already illustrated how these factors vary with the signal strength. We take the Received Signal Strength Indicator (RSSI) value, i.e., the signal strength to evaluate the wireless link quality as it can be easily acquired on modern mobile devices without additional cost. We define the signal strength as a time-varying function $\text{signal}(t)$. The function $R_{\text{sig}}(\text{signal})$ maps a received signal strength to the average data rate value, and the power to generate the signal is denoted by $P_{\text{sig}}(\text{signal})$.

Suppose two data units $u_1$ and $u_2$ that already arrived in buffer are scheduled to transfer one after the other, the total data transmission time consumed is $D_t(u_1) + D_t(u_2)$ where each data unit takes the complete bandwidth resource for its transmission. Alternatively, the two can be transmitted concurrently with each using a fraction of the bandwidth. In this way, the total data transmission time will remain the same. Since the wireless bandwidth is fully applied to transmit the same amount of bytes in both cases, the total energy consumption also remains the same. However, the completion time of the first task gets extended while that of the second task remains the same. Therefore, with the same amount of energy consumed, in order to reduce the task completion time, it is more efficient to transmit all the data units sequentially. That is, for any feasible schedule $t_s(U)$, when we sort $u$ in $U$ in the ascending order by $t_s(u)$, the current task $u_i$ should be scheduled to transmit only after the previous task $u_{i-1}$ completes its data transmission, i.e., $t_s(u_i) > t_s(u_{i-1})$, $2 \leq i \leq n$.

Denote $\tau \in N^+$ as a discrete time slot and $\Delta t_\tau$ as the time length of one slot. Since the data of $u$ will be transferred at rate $c(\tau)$ in each slot $\tau$ from $t_s(u)$ to $t_s(u)$, we have the data size of the task $u$ as

$$S(u) = \sum_{\tau=t_s(u)}^{t_s(u)} c(\tau) \Delta t_\tau = \sum_{\tau=t_s(u)}^{t_s(u)} R_{\text{sig}}(\text{signal}(\tau)) \Delta t_\tau.$$  

In case transmission cannot be carried in some time slots, for example due to the dramatic drop of signal strength upon user movement, some slots in the above equation may have zero-rate transmissions, which naturally increases the transmission delay.

Let $E_{\text{trans}}(t_1, t_2)$ denote the data transmission energy consumed from the slot $t_1$ to $t_2$. If the data is transmitted by consuming the transmission power $P_{\text{sig}}(\text{signal}(\tau))$ of the wireless interface in each slot $\tau$ from $t_1$ to $t_2$, the data transmission energy can be computed as

$$E_{\text{trans}}(t_1, t_2) = \sum_{t_1 \leq \tau \leq t_2} P_{\text{sig}}(\text{signal}(\tau)) \Delta t_\tau.$$  

During time period $\Gamma$, the total data transmission energy to transmit $U$ by a schedule $t_s(U)$ can be estimated as

$$E_d(U, t_s(U), \Gamma) = \sum_{u \in U} E_{\text{trans}}(t_s(u), t_s(u)).$$  

### 3.4 Tail Energy Consumption Estimation

In a UMTS network, radio resources are managed through RRC and a state machine is maintained for the radio. The state machine has three basic states: IDLE, DCH and FACH. Their radio power is denoted as $p_I$, $p_{DCH}$ and $p_{FACH}$ respectively. The transition among different states is mainly determined by the data traffic conditions [8]. If the radio is at IDLE or FACH, the arrival of a data transmission unit will trigger it to promote to a higher power state DCH (the transitions IDLE → DCH and FACH → DCH are called PROM1 and PROM2 respectively, see Fig. 2). If there are no transmission tasks arriving and the radio remains inactive for a time duration, it will lead to an instant state demotion, either
\(DCH \rightarrow FACH\) or \(FACH \rightarrow IDLE\). The tail energy wasted during both the time durations (denoted by \(\delta_D\) and \(\delta_F\) respectively) can significantly impact the total energy consumption.

Following the measurement schemes proposed in [8], we estimate these parameters through experiments in a UMTS network in China (CHN-CUGSM) using a Google Nexus S smartphone. Table 2 lists the detailed measurement results. We take power at the IDLE state as the base in Fig. 2 and obtain the radio power in Table 2 by excluding the base power.

Let \(T\) denote one complete tail time, i.e., the sum of \(\delta_D\) and \(\delta_F\). Let the set of transmission tasks \(U = \{ u_i | 1 \leq i \leq n \}\) be sorted in the ascending order by \(s_u(t_u)\) of each transmission unit. The total tail energy consumption during the transmission of \(U\) according to a schedule \(s_u(t_u)\) within a given period \(\Gamma\) can be estimated in a fine-grained way as

\[
\tilde{E}_t(U, s_u(U), \Gamma) = \sum_{2 \leq i \leq n} E_{\text{tail}}(\Delta t_i) + E_{\text{tail}}(T),
\]

where \(\Delta t_i = s_u(t_u) - t_r(u_{i-1})\) and

\[
E_{\text{tail}}(\Delta t_i) = \begin{cases} p_D \Delta t_i & \text{if } 0 \leq \Delta t_i \leq \delta_D \\ p_D \delta_D + p_F(\Delta t_i - \delta_D) & \text{if } \delta_D < \Delta t_i \leq \delta_D + \delta_F \\ p_D \delta_D + p_F \delta_F & \text{otherwise}. \end{cases}
\]

### 3.5 Optimization Problem

We convert the transmission scheduling to an optimization problem. Given a set of pending transmission tasks \(U = \{ u_1, u_2, \ldots, u_n \}\), the purpose of scheduling is to determine the time slot assignment \(s_u(t_u) = \{s_u(t_{u_1}), s_u(t_{u_2}), \ldots, s_u(t_{u_n})\}\) to minimize the energy consumption while ensuring the performance degradation of each transmission task \(u\) to be within the user expectation bound \(\Phi(u)\).

<table>
<thead>
<tr>
<th>(p) (mW)</th>
<th>DCH</th>
<th>FACH</th>
<th>PROM1</th>
<th>PROM2</th>
</tr>
</thead>
<tbody>
<tr>
<td>732.826</td>
<td>388.880</td>
<td>557.708</td>
<td>423.625</td>
<td></td>
</tr>
<tr>
<td>3.287</td>
<td>4.024</td>
<td>2.114</td>
<td>1.039</td>
<td></td>
</tr>
</tbody>
</table>

Fig. 3. Example of PerES scheduler design.

For each task \(u\), we need to guarantee

\[
\phi_u(t_r(u) - t_a(u)) \leq \tilde{\Phi}(u).
\]

Based on (5) and (6), the total energy consumption estimation can be calculated as

\[
E(U, s_u(U), \Gamma) = \tilde{E}_d(U, t_a(U), \Gamma) + \tilde{E}_t(U, s_u(U), \Gamma).
\]

Therefore, the optimization problem can be formulated as

\[
\min E(U, s_u(U), \Gamma)
\]

subject to Constraints (1), and (8).

Constraints (8) can be translated as \(t_e(u) \leq t_{dd}(u)\), where \(t_{dd}(u) = t_a(u) + \phi_u^{-1}(\Phi(u))\) denotes the upper bound of \(t_a(u) + D_r(u)\). This bound takes into account the application profile \(\Phi_u\) and the user requirement \(\Phi(u)\) for a task \(u\).

**Theorem 1.** The performance-aware energy optimization problem (10) is NP-hard.

**Proof.** See the detailed proof in our technical report [30].

### 4 Scheduling Design

#### 4.1 Overview

Since the optimization problem is NP-hard, in this section, we design an online scheduler Performance-aware Energy Scheduler (PerES) that could easily run in the practical system. In the example shown in Fig. 3, at the beginning, the application tasks are added into several queues. The PerES scheduler will make the transmission decisions in each slot based on the queue status and user requirements. The decisions will determine if the data should be sent, and if yes, how much data to send from each queue.

There are two key differences between the designs of ours and others. First, we use multiple queues for each application to explicitly control the task delay. Since the Lyapunov theory is primarily applied for stabilizing the queue, following the standard Lyapunov optimization model, most existing work employs the conventional FIFO queue and represent the delay performance with the queue length [19]. In reality, the queue length of a conventional FIFO cannot always capture the delay performance. For example, when no new tasks are added into a FIFO queue for a long duration, the queue length does not change but the task delay will be big. In this work, we propose a novel queue management method named “delay-level queue” to make it possible to capture the task delay with the queue length all the time.
Second, we take the user requirements as the performance constraints on multiple applications. In the example of Section 3.1, we have shown that the conventional FIFO queue is inefficient to deal with different delay requirements from multiple applications. In this work, after capturing the delay, we also need to know how to schedule transmissions from the proposed “delay-level queues” with respect to the user requirements.

The problem can be solved with four steps as shown in Algorithm 1. We first relax the problem from meeting the performance bound of each application task to meeting the bound of total task performance (Section 4.2). To solve the relaxed problem, we construct the delay-level queues to handle the tasks from different applications (Section 4.3). Next, based on the current network status, we allocate different data rates to each delay-level queue (Section 4.4). Furthermore, we adjust the parameters so the algorithm can adaptively converge to the optimal energy bound subject to user performance requirements (Section 4.5).

Algorithm 1. PerES: Performance-Aware Energy Scheduler

1: Obtain the relaxed problem by meeting the bound of total task performance cost
2: Construct the delay-level queues to handle the task delay in different application groups
3: Allocate different rates to each delay-level queue
4: Adaptively adjust the parameters with respect to user performance requirements

### 4.2 Problem Relaxation

In order to reduce the tail energy associated with the RRC process, an online scheduler can send the traffic in batch. However, as the mobile traffic and wireless link quality cannot be accurately predicted, this process will inevitably introduce some delay in transmission and may even lead to violation of some given performance bounds, e.g., the task deadline.

Therefore, it is not possible and practical for an online scheduler to always satisfy the performance bound for each task in real-time. Instead, we relax the constraint from meeting each task’s performance cost bound to meeting the bound of total task performance cost denoted as $\Omega$. A higher performance bound is due to a longer tolerable delay weighted by application profiles and user preference. This would motivate the scheduler to aggregate the less-urgent (or less-interested to the user) traffic for lower tail energy and wait for the better channel condition to transmit.

In our relaxed scheduling problem, the scheduler requires no future information of the traffic, but makes decision in each time slot to obtain the long-term benefits, i.e., optimizing both the energy and performance in a long enough time scale ($\Gamma \to \infty$). We derive the practical optimization model as follows.

Define $PW(t)$ and $PD(t)$ as the energy consumed and performance cost in time slot $t$ with their average values $\bar{PW}(\Gamma)$ and $\bar{PD}(\Gamma)$ respectively, we have

$$\bar{PW}(\Gamma) = \frac{1}{\Gamma} \sum_{t=0}^{\Gamma-1} PW(t) = \frac{1}{\Gamma} E(U, t_s(U), \Gamma)$$

and

$$\bar{PD}(\Gamma) = \frac{1}{\Gamma} \sum_{t=0}^{\Gamma-1} PD(t) = \frac{1}{\Gamma} \sum_{u \in U} \phi_u(D(u)),$$

where $\Gamma$ is the scheduling period. Then the following performance condition should be satisfied:

$$\bar{PD}(\Gamma) \leq \Omega.$$  \hspace{1cm} (13)

The online optimization problem is formulated as:

$$\begin{aligned}
\text{Minimize} & \quad \bar{PW}(\Gamma) \\
\text{subject to} & \quad \bar{PD}(\Gamma) \leq \Omega.
\end{aligned}$$

For clarity, we list the related notations in Table 3.

### 4.3 Delay-Level Queue Construction

To take into account the user performance in our scheduling, we classify the applications into groups and queues based on the user preferences and application profiles. Then we need to explicitly control the delay performance for the tasks in each queue. In the following, we present a novel delay-level queue to address this problem.

#### 4.3.1 Group Classify

We first classify applications into $n$ groups $G = \{G_1, G_2, \ldots, G_n\}$ based on two properties: the form of profile function (decided by application profiles) and the preference weight (decided by user preference). Two tasks belong to the same group if they share the same properties. Let $F_i(D(u))$ denote the performance cost per byte of the task $u$ with a delay $D(u)$ from group $i$, i.e., $F_i(D(u)) = \phi_u(D(u))/S(u)$. Generally, the same type of applications are classified into one group (e.g., Email applications). In the extreme case, each application can have its own group.

#### 4.3.2 Queue Update

Generally, the delay sensitivity of a task is reflected by its deadline. Tasks in one group have the same deadline and can be inserted into one of $m$ queues (called the delay-level queues) based on their current delay. A queue $q_j$ corresponds to one delay level $j$ from group $i$. The delay-level interval is defined as $d_i/\theta$ where $d_i$ denotes the deadline of tasks from group $i$, and $\theta$ is the delay granularity of dividing the group into queues. Note that $m$ is large enough so that

<table>
<thead>
<tr>
<th>Table 3: Basic Notations for Online Model</th>
</tr>
</thead>
<tbody>
<tr>
<td>Notations</td>
</tr>
<tr>
<td>$\epsilon(t)$</td>
</tr>
<tr>
<td>$PW(t)$</td>
</tr>
<tr>
<td>$PD(t)$</td>
</tr>
<tr>
<td>$\Omega$</td>
</tr>
<tr>
<td>$q_{ij}$</td>
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<tr>
<td>$\varphi_{ij}$</td>
</tr>
<tr>
<td>$\gamma_{ij}(t)$</td>
</tr>
<tr>
<td>$r_{ij}(t)$</td>
</tr>
<tr>
<td>$\bar{PD}(\Gamma) = \frac{1}{\Gamma} \sum_{t=0}^{\Gamma-1} PD(t) = \frac{1}{\Gamma} \sum_{u \in U} \phi_u(D(u)),$</td>
</tr>
<tr>
<td>where $\Gamma$ is the scheduling period. Then the following performance condition should be satisfied: $\bar{PD}(\Gamma) \leq \Omega$.</td>
</tr>
<tr>
<td>The online optimization problem is formulated as: $\text{Minimize } \bar{PW}(\Gamma)$ subject to Constraints (1) and (13).</td>
</tr>
</tbody>
</table>
\[ m \times d_i / \theta \] is the maximum waiting delay that users can tolerate for any task in the queue.

The scheduler will update the delay-level queues in each time slot. If the delay value of a task \( u \) from group \( i \) is between \( d_i / \theta \times (j - 1) \) and \( d_i / \theta \times j \) it will be put in \( q_{ij} \); when its delay exceeds \( d_i / \theta \times j \), it will be popped out of \( q_{ij} \) and be pushed into the next delay-level queue \( q_{i(j+1)} \). This update operation starts from the tasks with the highest delay to the ones with the lowest delay. Hence after a linear traversal update from the head task to the end task in each queue, the ordered property of delay still holds for all the tasks.

The scheduler takes the delay level as the reference to determine the transmission sequence and time, i.e., the delay of tasks in \( q_{ij} \) is taken as \( d_i / \theta \times j \). Define the length of the minimum time unit as \( \ell_i \). If the delay interval \( d_i / \theta \) equals \( \ell_i \), \( d_i / \theta \times j \) is equivalent to the accurate queuing delay. Let \( \varphi_{ij} \) denote the performance cost per byte of queue \( q_{ij} \), i.e., \( \varphi_{ij} \triangleq F(D(u)) \) where \( u \) is a task in queue \( q_{ij} \).

The advantage of above queue management is that the delay of each delay-level queue can effectively reflect the delay impact. Then we are able to generate the following theorem to directly link the delay-level queues in each group with the user performance cost caused by queuing tasks.

**Theorem 2.** Denote \( PD_{ij}(t) \) as the total user performance cost of the tasks in queue \( q_{ij} \) in time slot \( t \). Denote \( \gamma_{ij}(t) \) as the average transmission task arriving rate for queue \( q_{ij} \) and \( r_{ij}(t) \) the average transmission rate allocated for the queue, we have:

\[
PD_{ij}(t + 1) = PD_{ij}(t) - \sum_{j=1}^{m} \varphi_{ij} r_{ij}(t) + \varphi_{ij} \gamma_{ij}(t),
\]

where \( PD_{ij}(t) \triangleq \sum_{j=1}^{m} PD_{ij}(t) \) and \( \gamma_{ij}(t) \triangleq \sum_{j=1}^{m} \gamma_{ij}(t) \). Moreover, for a task \( u \) in queue \( q_{ij} \), if it is transferred at the current slot, we have the task delay \( D(u) \) counted as \( d_i / \theta \times j + 1 \), i.e., \( \varphi_{ij} = F(d_i / \theta \times j + 1) \).

**Proof.** See the detailed proof in our technical report [30]. \( \square \)

### 4.4 Queue Scheduling

After the queue construction, there are two remaining things to do: obtaining the user requirement input and allocating data rates for the delay-level queues.

#### 4.4.1 User Requirement Input

Our online scheduler runs as a traffic manager application and uses a UI for the input of user requirements. It lists all the application icons and offers the setting of the user preference weight and maximum tolerable delay for each selected application. Thus users can easily change their preferences on the UI. The task deadlines and application profile functions (i.e., the application sensitivity to delay) are provided from application developers by default (through calling our SDK) to benefit from the energy savings of our solution. For ease of use, the maximum tolerable delay can be easily set as a sliding bar so it can be tuned to a value from 0 to 100 percent of the deadline to be satisfied. With different application deadlines, the same fraction refers to different tolerable delay. The traffic manager will update the average data arriving rate for each application based on history traffic statistics. Hence we finally obtain the user preference weight \( \hat{w}_i \), maximum tolerable delay \( \hat{d}_i \) and the average data arriving rate \( \hat{\gamma}_i \), on each application \( i \). Based on the performance cost metric defined in Equation (2), the user-defined time-average performance cost bound \( \Omega \) is computed as \( \sum_{i=1}^{N} \hat{w}_i \times f_p(\hat{d}_i) \times \hat{\gamma}_i \), where \( N \) is the number of selected applications.

#### 4.4.2 Rate Allocation

In this part, we are able to derive our rate allocation algorithm (called RAA) in PerES to decide the data rate for each delay-level queue. Following the Lyapunov framework [31], our Lyapunov function is defined as:

\[
L(t) \triangleq 1 - \frac{1}{2} \sum_{i=1}^{n} (PD_i(t))^2.
\]

Denote the vector \( \bar{PD}(t) \triangleq \{ PD_{ij}(t) \}_{1 \leq i \leq n, 1 \leq j \leq m} \) as the performance cost of each queue at time \( t \). The one-step Lyapunov drift \( \Delta(t) \) is defined as:

\[
\Delta(t) \triangleq \mathbb{E} \{ L(t + 1) - L(t) | \bar{PD}(t) \}.
\]

We add the energy minimization objective into the Lyapunov drift-plus-penalty form \( \Delta(t) + \mathbb{E} \{ PW(t) | \bar{PD}(t) \} \) and obtain the following lemma:

**Lemma 1.** Assume that the data arrival process \( \hat{X}(t) \), and the transmission process \( \hat{u}(t) \) have finite expectation, i.e., \( \exists \) constants \( \mathcal{A} \) and \( \mathcal{U} \) such that \( \mathbb{E} \{ \hat{X}(t) \} < \mathcal{A} \) and \( \mathbb{E} \{ \hat{u}(t) \} < \mathcal{U} \).

We have

\[
\Delta(t) + \mathbb{E} \{ PW(t) | \bar{PD}(t) \} \\
\leq B - \mathbb{E} \left[ \sum_{i=1}^{n} PD_i(t) \mathbb{E} \left[ \sum_{j=1}^{m} \varphi_{ij} r_{ij}(t) | \bar{PD}(t) \right] \right] \\
- V \cdot PW(t) | \bar{PD}(t) \right] + \sum_{i=1}^{n} PD_i(t) \cdot \varphi_{ij} \gamma_{ij}.
\]

where \( B \triangleq \frac{1}{2} \left( \sum_{i=1}^{n} \sum_{j=1}^{m} \varphi_{ij}^2 \cdot \mathcal{U}^2 + \left( \sum_{i=1}^{n} \varphi_{ij}^2 \right) \cdot \mathcal{A}^2 \right) \) and \( \varphi_{ij} \) is a positive constant.

By applying the dynamics of queue performance (15) into the Lyapunov drift (17), we can obtain the fact of (18). See the detailed proof in our technical report [30]. Based on the Lyapunov design principle, the optimal scheduling decision is to minimize the drift-plus-penalty expression in each time slot. PerES minimizes the RHS of (18) to guarantee the performance stability with the minimal power consumption:

\[
\text{Maximize } D(t) = \sum_{i=1}^{n} \left[ PD_{ij}(t) \times \sum_{j=1}^{m} (\varphi_{ij} \times r_{ij}(t)) \right] - V \times PW(t)
\]

\[ s.t. \sum_{i=1}^{n} \sum_{j=1}^{m} r_{ij}(t) \leq c(t) \]

\[ 0 \leq r_{ij}(t) \leq S(q_{ij}), \]
where \( c(t) \) is the bandwidth of the wireless link at time \( t \) and \( S(q_{ij}) \) is the total data size of tasks in the queue \( q_{ij} \). One key difference between our model and other existing Lyapunov models (e.g., [19], [20]) is that the rate allocation constraint (20) models the bandwidth competition among the delay-level queues of different applications, which is important when considering the differences in application profiles and user requirements on applications.

As Algorithm 2 illustrates, RAA first updates the performance degradation \( PD_i(t) \) of all the queues by (15) (line 1). RAA achieves the optimal rate allocation set \( R_m = \{ r_{ij} | i = 1, 2, 3, \ldots, n; j = 1, 2, 3, \ldots, m \} \) by solving the linear programming problem (19) with the following procedure. First, based on Theorem 2, the weight \( A_{ij} \) of each queue is computed to capture the impact of delay on user performance (lines 2-4):

\[
A_{ij} = PD_i(t) \times \varphi_{ij} = PD_i(t) \times F_i(d_i/\theta \times j + 1). \tag{22}
\]

Next, the total bandwidth \( c(t) = R_{\text{sig}}(t) \) is allocated to the queues in the descending order of \( A_{ij} \) until it is completely allocated as lines 5-11 in Algorithm 2.

**Algorithm 2. RAA: Rate Allocation Algorithm**

**Input:** \( V_t, t \) // the current time slot  
**Output:** \( \mathbb{R}_m // \) the data rate allocation set  
1: Update the delay-level queues by (15)  
2: for each queue \( q_{ij} \) do  
3: compute \( A_{ij} \) by (22)  
4: end for  
5: \( R_i \leftarrow R_{\text{sig}}(t) \)  
6: Sort \( q_{ij} \) in the descending order of \( A_{ij} \) as \( Q \)  
7: while \( R_i > 0 \) and \( Q \neq \phi \) do  
8: Pop the \( q_{ij} \) in \( Q \) who has the largest \( A_{ij} \)  
9: \( r_{ij} \leftarrow \min\{\text{Size}(q_{ij}), R_i\} \)  
10: \( R_i \leftarrow R_i - r_{ij} \)  
11: end while  
12: Get the rate allocation set \( \mathbb{R}_m = \{ r_{ij} \} \) and compute the objective \( D_m \) in (19)  
13: if \( D_m \leq 0 \) then  
14: Set all the elements in \( \mathbb{R}_m \) to 0  
15: end if  
16: return \( \mathbb{R}_m \)

After rate allocation for each delay-level queue, RAA computes the objective value \( D_m \) by applying the rate allocation set \( \mathbb{R}_m \) into the objective function of (19). For a quick computation for this control decision, according to (11), \( PW(t) \) can be computed as:

\[
PW(t) = P_{\text{sig}}(t) \times \left\{ \sum_{i=1}^{n} \sum_{j=1}^{m} r_{ij}(t)/c(t) \right\} + E_{\text{tail}}(\Delta t'). \tag{23}
\]

where \( \Delta t' = t - t_{\text{last}} \) and \( t_{\text{last}} \) denotes the last time slot that transfers data. If \( D_m \leq 0 \), the rate allocation set \( \mathbb{R}_m \) is set to all zeros.

In Algorithm 2, lines 1-4 perform the update of the delay-level queues with cost \( O(k) \), and then compute \( A_{ij} \) for each \( q_{ij} \) by \( O(mn) \) operations. Line 6 sorts \( q_{ij} \) by \( O(mn \log(mn)) \) operations, and it then takes \( O(mn) \) operations to allocate the rate for each \( q_{ij} \) in lines 7-15. Hence the total time complexity of RAA (Algorithm 2) is \( O(mn \log (mn) + k) \), where \( n \) is the number of application groups, \( m \) is the number of delay-level queues per group and \( k \) is the number of tasks in buffer.

### 4.5 Bound Analysis and Approaching

In this section, we first give the boundness analysis of PerES and then present an efficient method which adapts the parameters to efficiently approach the bound.

#### 4.5.1 Bound Analysis

The properties behind the scheduling decision (19) imply the following theorem:

**Theorem 3.** Assume that the data arrival rate is strictly within the network capacity region, and the online scheduling decision (19) is applied by PerES at each time slot. For any control parameter \( V \) of PerES where \( V > 0 \), it generates the time-average power consumption \( \overline{PW}_\infty \) and time-average performance cost \( \overline{PD}_\infty \) satisfying that:

\[
\overline{PW}_\infty = \lim_{t \to \infty} \frac{1}{T} \sum_{t=0}^{T-1} \mathbb{E}\{PW(t)\} \leq P^* + \frac{B}{V}, \tag{24}
\]

\[
\overline{PD}_\infty = \lim_{t \to \infty} \frac{1}{T} \sum_{t=0}^{T-1} \mathbb{E}\{PD(t)\} \leq \frac{B + VP^*}{\varepsilon}, \tag{25}
\]

where \( B \) and \( \varepsilon \) are positive constants. \( P^* \) is the theoretical optimal time-average power consumption.

Based on Lemma 1 and the similar method for deriving Lyapunov bound in [19], [31], we could obtain the fact of (24) and (25). See the detailed proof in our technical report [30].

#### 4.5.2 Adaptive Scheme

The parameter \( V \) in (19) is the key tradeoff parameter between the energy cost and the performance cost. In Theorem 3, following the Lyapunov theory, a fixed \( V \) setting will make the power cost and the performance cost converge to a stable value close to their corresponding upper-bound. For example, based on Equation (24), a larger \( V \) value will make the energy cost converge to a smaller stable value, while this will make the stable value of the performance cost larger based on Equation (25). Hence, it is good to use a large enough \( V \) value to reduce the energy cost while constraining the performance cost to be within \( \Omega \).

Inspired by the above analysis, we could solve the online optimization problem (14) in the following way. For any given user requirement \( \Omega \), if we could find a large-enough \( V \) value that makes the system work with a performance cost close to but within \( \Omega \), then according to (24), the upper bound of the power consumption is minimized to its optimal value. However, tuning such a proper \( V \) value is a long-standing problem still without known efficient solutions. The traditional way of solving this convergency problem falls into the region of calculating a magic number of \( V \) based on some heuristic information, such as the method proposed in [19], or assuming a nice range of \( V \) that is possible to apply to [20]. However, it is difficult to analyze the
performances and hard to apply these conventional schemes in a complex mobile environment.

We design a dynamic scheme, called Self-adaptive V Algorithm (SVA) to handle this tough issue in a practical and fast way. Rather than figuring out a good V value before the scheduling, we search for a proper value during the scheduling. Starting from \( V = 0 \), we increase the V value while the performance cost is within the required \( \Omega \), and reduce the V value when \( \Omega \) is exceeded to constrain the performance cost and satisfy the user requirement. As Algorithm 3 shows, the SVA monitors the current time-average performance cost value \( \overline{PD} \). When it is lower than the user requirement, SVA increases the V linearly; otherwise, SVA cuts the V value down to a half. The intuition behind SVA comes from the congestion avoidance scheme utilized by the TCP protocol. The Additive Increase Multiplicative Decrease (AIMD) is primarily designed for the TCP window to increase to a value that gets the system work close to but within the congestion bound, thus the throughput is maximized. Our experiment validates that using the AIMD scheme in our system could also enable a fast convergency to the required performance bound, and thus the time-average power consumption is minimized to its optimal bound.

Algorithm 3. SVA: Self-Adaptive V Algorithm

**Input:** \( \Omega \), \( t \) // the current time slot  
**Output:** Real-time Scheduling Decision  
1: if \( t \) equals 0 then  
2: \( V(t) = 0 \)  
3: else  
4: calculate \( \overline{PD}(t) \) by (12)  
5: if \( \overline{PD}(t) < \Omega \) then  
6: \( V(t) = V(t-1) + \delta \)  
7: else  
8: \( V(t) = V(t-1)/2 \)  
9: end if  
10: end if

To summarize, our PerES makes the scheduling decision in each slot. It determines the control parameter V with respect to the user performance requirement \( \Omega \) (Algorithm 3), and then calls RAA (Algorithm 2) to set the rate allocation \( R_{uv} \). PerES serves all the queues by \( R_m \) for data transferring. If all the elements in \( R_m \) equal zero, PerES keeps all the queues waiting.

### 4.6 Offline Solutions as Benchmark

To provide a benchmark for the evaluation of the online algorithm, we present an offline algorithm for an approximation solution of the original NP-hard optimization problem (Theorem 1). Consider the offline scheduler as a black box, which receives \( n \) tasks in their arriving order, and outputs the tasks in another order following the schedule. Next we will present an algorithm which can find the local optimal solution for any fixed output order \( \omega \). Intuitively, we can find the global optimal solution by traversing all the local optimal solutions under the \( n! \) possible output orders. A fixed output order \( \omega \) can ensure the optimal substructure of the Dynamic Programming (DP) solution. This allows us to design a DP algorithm, Local Transmission Energy Scheduler (Loc-TRES) to achieve a local optimal solution offline.

To begin with, we sort \( u \in U \) by order \( \omega \). Let \( g_i \) denote the optimal objective value for scheduling the first \( i \) tasks while \( f_{i,k} \) denotes the optimal objective value of the first \( i \) tasks if \( u_i \) is scheduled to transmit in time slot \( k \). Let \( \Pi \) define the valid range of \( t_s(u_i) \), i.e., \( \Pi = \{t_s(u_i)\mid t_s(u_i) \geq t_a(u_i) \text{ and } t_s(u_i) \leq t_d(u_i)\} \). Then we can build the dynamic programming equations as \( f_{i,k} = \min_{j \in \Pi} \{E_{\text{trans}}(k, j) + E_{\text{hard}}(k - (j + D_r(u_{i-1}))) + f_{i-1,j}\} \) and \( g_i = \min_{k \in \Pi} \{f_{i,k}\} \). Based on the iterative equations on \( f_{i,k} \) and \( g_i \), we can easily obtain \( g_i \) for the final schedule. Hence the time complexity of Loc-TRES is \( O(nR^2) \), where \( R = \max_{1 \leq i \leq n} (t_d(u_i) - t_a(u_i)) \).

To give another evaluation benchmark, we also develop a brute-force-based offline scheme (denoted as Opt-TRES) to search the global optimal solution, which uses the input offline information including all the signal traces and application task traces. Although its worst-case complexity is exponential in time due to the NP-hardness, we speed it up in most cases by using a branch-and-bound search based on Loc-TRES. Specifically, we employ the solution found by Loc-TRES following the task arriving order to initialize the optimal solution, which will contribute to the fast boundary pruning operation during the search. It serves as the optimal offline scheduler and is compared with both Loc-TRES and our online algorithm in Section 5.

### 5 Evaluations

#### 5.1 Evaluation Setup and Methodologies

We implement PerES as a traffic management application on a smartphone (Google Nexus S). It utilizes IPTABLES (an existing system tool in Android) to redirect the data flow of each application to a specific interface of our unified scheduler so the transmission tasks can be buffered for a specific time duration on the phone. All the algorithms compared in this work are implemented inside the traffic management application on the phone and can be selected to run based on the UI. All the simulations in this paper are conducted on the smartphone. We monitor the signal strength of the cellular network interface and measure the energy consumption and performance metrics. To acquire the transmission rate and power under different signal strength, we take the phone to record 3G signal traces in 20 different places of Tsinghua University. The power value is measured by the Monsoon Power Monitor device, and we find that the power \( P_{\text{sig}} \) (mW) and the data rate \( R_{\text{sig}} \) (kBps) could be fitted as a linear function with the signal strength [14], [16].

In the first part, to facilitate the study on performance insights without loss of generality, we simulate the changing signal as a sine function in the range of \(-50\) to \(-110\) dBm with a random interference between \(-10\) and \(10\) dBm. The Rayleigh fading model is also applied to simulate the dynamics in wireless channels. In the later part, we further apply real signal traces to validate the energy efficiency. The task arrives following the Poisson Distribution. In reality, an application’s task is expected to be transmitted before the arrival of its next task, hence we set the average arrival interval of the tasks as their waiting deadline. The data size of one task is set as a random variable in \(0, 500\)
TABLE 4
Application Settings

<table>
<thead>
<tr>
<th>App ID</th>
<th>Deadline (s)</th>
<th>Weight</th>
<th>1</th>
<th>2</th>
<th>3</th>
<th>4</th>
<th>5</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>10</td>
<td>1/10</td>
<td>200</td>
<td>400</td>
<td>800</td>
<td>1,600</td>
<td></td>
</tr>
</tbody>
</table>

Kbytes. The linear coefficient $\delta$ of SVA in PerES is set to 0.001, and the detailed application settings are shown in Table 4.

We first evaluate the performance of the online algorithm PerES against offline algorithms in different scenarios over $\Gamma=10,000$ time slots (one sec as one slot). The offline solutions are obtained by Loc-TRES and Opt-TRES to serve as a performance reference. Loc-TRES sets the arriving order of tasks as its initial order $\omega$, while PerES is evaluated under different levels of performance loss. PerES-X scheduler extends from PerES by allowing for a deadline violation ratio $X$. For the offline algorithms, the performance degradation bound $\Phi(u)$ of each task is set to $\Phi(u) = t_{d}(u) - t_{a}(u)$ to make sure that $t_{d}(u) = t_{a}(u)$. It is equivalent to finding the optimal schedule by constraining the delay of each task to be within its deadline. In this setting, the offline algorithms ensure that there is no deadline violation. For the online scheduler PerES, the user-defined performance bound $\Omega$ is varied to get different levels of deadline violation ratios. The default scheme Immediately is also included as a reference, i.e., it transfers the data immediately upon the arrival of tasks.

Next, four non-predication based online schedulers are compared in details, i.e., TailEnder [10], SALSA [19], eTime [20] and PerES. Table 5 shows their different features. They represent the consideration for signal strength impact, different granularity of tail energy counting (e.g., “Coarse” means only one average tail power is counted), deadline awareness, application profiles, user preference and convergence scheme (e.g., “Static” means the trade-off parameter between energy and performance is set as a constant value) separately. TailEnder is a const-setting-based online scheduler while the others are designed under the Lyapunov framework. We develop the E-P panel to compare the scheduling optimality for energy consumption $E$ (the sum of data transmission energy and tail energy) and performance degradation $P$ (i.e., $\tau(D)\Gamma$). In the E-P panel, each set of points for schedulers is acquired by linearly increasing the parameter $V$ of SALSA, eTime and the $\Omega$ of PerES in equal pace, and there is no parameter change in TailEnder.

We evaluate the performance of online schedulers through simulations over a period of $10,000$ time slots. We analyze the impact of various parameters listed in Table 6. During the simulation, when one factor is changed, other factors are set to their default values. Each data point recorded in our simulation results is the average value over 20 random problem instances. We evaluate four representative profile functions. All functions satisfy Property 1, but have different forms before and after the deadline. Specifically, we define two typical changes before and after the deadline: unchanged (U) or linearly increasing (L), i.e., we have four forms of the profile function: UU, UL, LU, LL, which corresponds to real-world applications. For example, function UL captures the feature of the email applications that will not trigger the users’ concerns until certain user tolerance time is violated, while a further delay will cause worse experience.

For comparative analysis, we evaluate the tail energy and data transmission energy for energy metrics, while the deadline-violation ratio and normalized average delay for performance metrics. The deadline violation ratio denotes the size of tasks whose delay exceeds their deadline divided by the total data size. The normalized average delay $D$ denotes the sum of weighted (normalized preference weight) delay of all tasks divided by the total data size of all tasks:

$$D = \frac{\sum_{u \in U} \left[ w_u \times \frac{D(u) \times S(u)}{\sum S(u)} \right]}{\sum S(u)}$$

5.2 Optimality Analysis

As Fig. 4 shows, the total energy consumption and energy saving of different schedulers increase approximately linearly as the simulation time increases. Opt-TRES can get on average 38 percent energy saving compared to the default strategy. Compared with Opt-TRES, the energy consumption of Loc-TRES is within a factor 1.06 of the optimal solution, which demonstrates its high approximation ratio. It also indicates that the arriving order works well as the initialized order for Loc-TRES in real applications. Both offline algorithms Opt-TRES and Loc-TRES intend to minimize energy while not violating task deadlines.

**Fig. 4.** Optimality comparison for Loc-TRES and PerES.
PerES-0 is the online scheduler that adjusts the performance bound \( \Omega \) of PerES to meet the same constraint that zero deadline violation is satisfied. On average, PerES-0 is seen to achieve 13 percent energy saving compared to the default strategy without deadline violation. Compared with Opt-TRES, it is within a factor 1.4 of the optimal total energy consumption and within a factor 1.1 of the optimal energy saving. If mobile users can tolerate more performance loss, PerES could obtain much higher energy efficiency. When deadline violation ratio is 0.02, PerES-0.02 achieves twice energy saving that of PerES-0. When the deadline violation ratio is 0.23, PerES-0.23 can achieve performance comparable to Opt-TRES. It even achieves a little more energy saving than Opt-TRES at the cost of some deadline violation.

5.3 Parameter Analysis

5.3.1 Impact of Signal Period

As Fig. 5 shows, we test the energy performance of PerES and Immediately over different variation periods of the signal strength. We can see that the total energy consumption of both PerES and Immediately increase with the signal variation period. When the period is smaller, there are more opportunities to use good signal points for transmitting data, which helps reduce the data transmission energy. For a small variation period as 5 seconds, the tail energy of PerES is the highest among all periods studied while that of Immediately changes little. This is because when the period is comparable to the length of tail time, there are more good signal points for PerES to transfer data with small intervals, which incurs an additional high tail energy between two neighboring good signal points. Immediately does not react to the change of signal and thus has similar tail energy performance.

5.3.2 Impact of Deadline Range and Dynamic V

As a default setting, our scheduler is designed for delay-tolerant applications generally with deadlines in the unit of minutes, such as uploading video clips [19] or the periodic background updates like the news and emails applications [24], [32]. The work in [32] shows that a typical deadline set on smartphone is 1 minute. However, to make a complete comparison, in this section we also test the performance of our scheduler when deadlines are generally much smaller than 1 minute. As Fig. 6 shows, we evaluate the performance of Immediately and PerES with different deadline ranges for all the tested applications. We can see that with the smallest deadline larger than 3 seconds, the energy savings of PerES compared to Immediately is about 28 to 54 percent.

However, for the extreme setting with the smallest deadline as 1 second, PerES has little energy savings over Immediately. Obviously, such a small delay tolerance provides little scheduling opportunity to optimize the energy. It is impossible to delay the tasks whose deadlines are only 1 second (which can be considered as real-time tasks), as our scheduler runs once per second and any additional delay would violate its deadline. Since we set the tasks to arrive with their average intervals as deadlines, the ones with the smallest deadline contribute to most of the traffic and thus create the final energy impact. Moreover, we can see that the tail energy increases when the smallest deadline increases, which is contributed by longer idle intervals between two successive arrival tasks. The tail energy of PerES is about 37 percent lower than Immediately when the deadline range becomes larger because PerES gets more opportunity to batch the packets when the tasks are more delay-tolerant.

Rather than updating the value of V in each time slot as in Algorithm 3, we studied the performance of PerES over different V update intervals in Fig. 7. When the update interval of V parameter is less than 10 slots, the performance of energy and delay is similar. The energy consumption increases gradually when the update interval is further increased. This indicates that we can reduce the computation overhead by updating the V value every 10 slots with little performance degradation.

5.3.3 Delay-Granularity Setup

As Fig. 8 shows, we test four levels of accuracy setting for the E-P panel. As \( \theta \) increases, the delay granularity for scheduling decreases. We can find that, from \( \theta = 5 \) to 10, the performance has a big improvement, and the energy consumption decreases faster when the performance
degradation is set as \( \theta = 10 \). When the granularity further decreases, i.e., \( \theta = \{10, 50, 100\} \), the performance does not have significant change. The reason is that the smallest deadline of the tested applications is 10 seconds, which reaches the finest granularity of its delay levels as the minimum division granularity is one second (i.e., one time slot). Since in this study the average task arrival interval is the same as the deadline, the tasks with the smallest deadline arrive more frequently than other application tasks, and thus generate more traffic and have the main effect on the performance. In the following, we set \( \theta = 10 \) to achieve the best balance between the overhead of queue management and the good performance of scheduling.

5.3.4 Dynamic versus Static Schemes
As Fig. 9 shows, we set four levels of time-average performance requirement \( \Omega \) between 0.2 and 0.8. Existing strategies normally pre-compute a static \( \Omega \) value by some heuristic method [19] or obtain empirical values in experiments [20]. In our study, for a given \( \Omega \) setting, the static strategy uses the optimal static \( \Omega \) value obtained by adjusting the \( \Omega \) value in the experiment to make the time-average performance degradation converge to \( \Omega \) exactly, and keeps the \( \Omega \) value as a constant during the scheduling. We find that SVA (dynamic strategy) converges to the performance target 2-5 times faster than that of the static strategy. We can see that larger performance requirement \( \Omega \) implies larger room for energy optimization. Furthermore, for the same performance requirement, a faster convergence speed of SVA results in higher energy efficiency than the static strategy during a specified scheduling period. Therefore, our scheme can react fast to the change of user requirements.

5.3.5 Profile Functions
As Fig. 10 shows, we evaluate schedulers in E-P panels with four different profile functions. We could observe the obvious tradeoffs between the energy consumption and performance degradation for all other schemes except TailEnder, where the faster dropping of energy with the degradation of performance indicates a better performance. eTime performs better than SALSA by embedding the tail energy into its control decision. Our PerES performs the best for all the profile functions tested. On average its energy efficiency is 2 times that of the eTime and TailEnder, and 4 times that of the SALSA for a given performance. TailEnder’s results are constrained within a small range, as it schedules the transmission mostly around the deadline. This helps to improve its performance but limits the room for its energy optimization.

5.3.6 Scheduling Overhead
While saving energy for data transmissions, it is also important for the scheduler itself to introduce low overhead for computation and batch scheduling. We measure the average CPU power consumption and scheduling delay of running our PerES scheduler application. To exclude the power consumed by data transmission, we run the experiments by not actually transmitting the data but only executing exactly the same algorithm procedures as if the data were transferred. We further subtract the system base power of not running any application to obtain the pure scheduling overhead on CPU power. The scheduling delay is measured by recording the time stamps in each round of scheduling.

We first show the impacts of scheduling frequency on energy in Fig. 11a. By decreasing the scheduling interval from 1,000 to 10 ms, the average CPU power on computation is doubled while the total energy consumption is decreased by 23 percent. Obviously, a more frequent scheduling would increase the computation overhead, but the real-time and fine-gained task handling also contributes to higher transmission energy efficiency. However, a frequent scheduling may keep CPU busy which would degrade the performance.
of other applications on the device. Considering the tradeoff between energy and performance, the scheduling interval is suggested to be between 100 and 1,000 ms.

We further analyze the scheduling overhead on both power and delay under various network loads. As Fig. 11b shows, both the scheduling power and delay increase with the number of queues. In Fig. 11c, we vary the average task arrival interval to change the number of tasks to handle in buffer. As expected, the scheduling power and delay decrease when the task arrival interval increases. As our previous analysis illustrates, the computation overhead of PerES is $O(mn \log(nm) + k)$ where $mn$ is the total number of queues and $k$ is the number of tasks in buffer, which matches the results in Fig. 11. In both cases, the average CPU power is around 10 mW, which is an order of magnitude lower than both the system base power (160 mW) and the data transmission power (730 mW) (see Figs. 11b and 11c). Moreover, the average scheduling delay per round is within 30 ms, which is sufficiently low to run our scheduler per slot (i.e., one second in this study).

5.4 Comparative Analysis

We compare the performance metrics for different schedulers listed in Table 5. The black part of the energy metric represents the tail energy part while the non-black part represents the data transmission energy part in Figs. 12a, 13a, 14a and 15a.

5.4.1 Impact of Arrival Pattern

In Fig. 12, as expected, heavier traffic results in larger energy cost (Fig. 12a) and performance cost (Figs. 12b and 12c). However, the distributions of the tail energy and data transmission energy have big difference among different schedulers. The tail energy of SALSA is on average twice that of eTime, PerES and TailEnder. This is because SALSA does not consider the tail energy in its decision. Further, because TailEnder is not aware of the signal variation, its data transmission energy is on average twice that of other schedulers. PerES’s energy efficiency is similar to eTime and performs the best under different traffic conditions. Since both PerES and TailEnder are aware of the task deadline...
when scheduling, they have less normalized average delay than eTime and SALSA.

5.4.2 Impact of Task Deadline

In Fig. 13, we can see that PerES has the best energy efficiency. When increasing the minimum task deadline, the energy consumption of TailEnder increases significantly while SALSA gets an unstable energy output. Moreover, as Fig. 13b shows, when the deadline is small, both TailEnder and PerES achieve smaller average delay. However, when the deadline is large enough, they will generate larger average delay than SALSA and eTime. SALSA and eTime are not deadline-aware, while TailEnder and PerES intend to transfer tasks closer to their deadline to increase the energy efficiency at the cost of higher delay. The delay of PerES increases much slower than that of TailEnder. The deadline violation ratio of four schedulers decreases with increasing task deadline as expected. PerES achieves the lowest deadline violation ratio when the deadline is small and keeps a stable output when it turns large.

5.4.3 Impact of Signal Strength

In Fig. 14, the increase of average signal strength leads to performance improvement for all schedulers. Better signal leads to lower power and larger bandwidth for transmission and thus helps to reduce the energy and delay (Figs. 14a and 14b). PerES achieves the lowest energy and performance cost. Specially, for all schedulers, we can see that the transmission energy is reduced when the signal gets better while the tail energy does not have much change. A better signal requires a lower transmission power, which does not impact the tail power. However, it is also possible to obtain a lower tail energy when the signal turns better, e.g., −60 dBm for PerES. This is because a better signal contributes to less transmission time and thus less possibility of violating the deadline (Fig. 14c). Then it would provide more opportunity for a smart scheduler to aggregate the traffic.

5.4.4 Impact of User Preference Weight

The impact of user preference is shown in Fig. 15. Since the user preference weight does not influence the scheduling procedure of SALSA, eTime and TailEnder, their energy consumption varies little while PerES achieves the best energy efficiency. The normalized average delay represents the delay from the user preference view. In Fig. 15b, the normalized average delay of SALSA, eTime and TailEnder increases with the maximum preference weight while PerES keeps a low and stable value. This is because they do not consider the user preference in different tasks. Since the average delay is normalized by the preference weights, with same task delay, the normalized average delay of these schemes will increase with the maximum preference weight. Further, PerES keeps the lowest deadline violation ratio.

5.5 Real-Traffic Application

We analyzed a large traffic flow trace from 99 collection points by a 3G UMTS carrier in China on January 10, 2013. The trace data capture about 821 million flow records (1.2 Terabytes). Each record corresponds to the information of one flow which contains the user IP, server IP, flow time stamps, uploading and downloading data size but without any user data. Normally, the same user IP corresponds to one specific user within some time window. To simplify the process, we set the time window as one day. We consider the uploading data in one flow as one task generated from network applications on mobile devices and the same server IP as the server of one specific application.
As Fig. 16a shows, we first analyze the task size distribution in the traffic trace. We randomly choose one collection point and pick the top five users that have the largest number of flows in one day for user-specific distribution. We further derive the flows of all users collected by all collection points in one day for a general distribution. We can find that, most users have the similar task size distribution, and small-size data account for a major portion of the trace, i.e., above 90 percent of tasks have their data size smaller than 6 Kbytes. This gives us the insight that most users have frequent task arrivals with a small data size, which will lead to a large fraction of tail energy.

As Fig. 16b shows, we randomly select 20 collection points and pick the top five users who own the largest number of flows in each collection point in one day. For each user, we select the top five applications that have the largest number of flows communicated with the user, and randomly select the signal trace in one day from the traces collected by real mobile users for 10 days. For the task flows of each user, we run both the default scheme Immediately and our PerES with different levels of performance requirements $\Omega$ on the phone for 100,000 time slots. On average for each user, in the case $\Omega = 0.01$, PerES achieves totally 32 percent energy saving over the total transmission energy (tail energy reduction by 32.5 percent) with the normalized average delay as 20 s and the deadline violation ratio as 0.22. In the other case $\Omega = 0.04$, PerES achieves totally 56 percent energy saving over the total transmission energy (tail energy reduction by 60.7 percent) with the normalized average delay as 57 s and the deadline violation ratio as 0.31.

To further validate the performance of PerES over recent LTE networks, we apply the LTE energy model proposed in [6] to replace the previously utilized 3G energy model. The energy models in both networks are similar except the explicit parameter setting of the power and time of different radio states. To match the high throughput of LTE network, we equally increase the user traffic size by ten times and adjust the user performance bound $\Omega$ so that the user performance of LTE is comparable to that of 3G. As Fig. 16c shows, on average for each user, in the case $\Omega = 0.04$, PerES achieves 23.5 percent energy saving over the total transmission energy (reducing tail energy by 24.8 percent) with the normalized average delay to be 16 s and the deadline violation ratio to be 0.08. In the other case $\Omega = 0.12$, PerES achieves 41.3 percent energy saving over the total transmission energy (with the tail energy reduced by 43.3 percent) with the normalized average delay to be 49 s and the deadline violation ratio to be 0.13.

We can see that for comparable user performance, the energy saving percentage of LTE is reduced by about 10 percent compared to 3G. Further, we find that the percentage of the tail energy over the total LTE transmission energy is 10 percent larger than that of 3G. The reason is that the tail time of LTE (about 11 seconds) is longer than that of 3G and the tail power of LTE is also higher than 3G [3], [6]. Therefore, despite the presence of the DRX designed for energy saving, LTE is less energy efficient during the idle state and for transferring a small amount of data [3], which matches the feature of our trace in Fig. 16a.

6 Conclusion

In this paper, we propose adaptive scheduling algorithms to improve the energy efficiency of mobile devices in cellular networks while also considering user performance needs on multiple applications. Different from existing work, we formulate the hybrid energy optimization together with the performance degradation on user experience. We develop a practical online scheduler that can self-adapt to better meet user performance requirements and converge more than two times faster to the optimal energy consumption bound than that of state-of-art static schemes. Evaluation results demonstrate the effectiveness of our proposed schemes in achieving high energy approximation ratio to offline solutions and better performance compared to peer schemes. We further validate the energy efficiency of our proposed scheduling algorithm under different user experiences through a large amount of trace data collected.

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